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$$S_{FOT} = \frac{F_{OT} \times \gamma_{FOT}}{100\%}, \quad (1)$$

S_{FOT} — ; F_{OT} — ; γ_{FOT} —

$$S_R = \frac{D_R \times \gamma_R}{100\%}, \quad (2)$$

S_R — ; D_R — ; γ_R —

$$S_p = \frac{NP}{100\% - \gamma_p} \times 100\%, \quad (3)$$

S_p — ; NP — ; γ_p —

(S_{FOT}, S_R, S_p)

1.

$$K_{NR} = \frac{S_{FOT} + S_R + S_p}{V_R}, \quad (4)$$

$$K_{NR} = \frac{S_{FOT} + S_R + S_p}{V_R}$$

(S):

$$\delta_{FOT} = \frac{S_{FOT}}{S}, \delta_R = \frac{S_R}{S}, \delta_p = \frac{S_p}{S}, \quad (5)$$

$$S = S_{FOT} + S_R + S_p.$$

$$K_E = \frac{S}{NP}. \quad (6)$$

3.

$$K_L = \frac{S_L}{S + S_L}, \quad (7)$$

$$K_L = \frac{S_L}{S + S_L}$$

4.

$$K_{NB} = \frac{T}{GDP}, \quad (8)$$

$$K_{NB} = \frac{T}{GDP}$$

$$T' = V - Z - NP, \quad (9)$$

$$Z = \frac{T'}{V - Z - NP}$$

$$K_{NB} = \frac{T'}{V - Z} = \frac{V - Z - NP}{V - Z} = 1 - \frac{NP}{V - Z}. \quad (10)$$

(V - Z) > 0,

(NP < 0).

(50-)

1.

$$SN = (D_{ysl} / 1,2 - \gamma) \times (1 - \varphi) \times (Pn + \varphi) + \gamma - ZP \times n + NDS, \quad (11)$$

SN — ; $\varphi = PF + FSZ$ — ; PF — ; FSZ — ; $\gamma = n \times ZP (1 + PF + FSS + FSZ)$ — ; n — ; FSS — ; D_{ysl} — 4%); ZP — (— ; Pn — ; NDS = $D_{ysl} / 6$.

2.

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1. // . — 2011. — 9. — .82–101.
 2. . — 2010. — 11. — .3–16. / . . //
 3. . — 2012. — . — .161–163. ? / . . //